## Watering hole

Farmer John has decided to bring water to his $N$ pastures which are conveniently numbered $1, \ldots, N$. He may bring water to a pasture either by building a well in that pasture or connecting the pasture via a pipe to another pasture which already has water.

Digging a well in pasture $i$ costs $W_{i}$. Connecting pastures $i$ and $j$ with a pipe costs $P_{i, j}$.
Determine the minimum amount Farmer John will have to pay to water all of his pastures.

## Input

The first line contains a single integer $N(1 \leq N \leq 300)$. $N$ lines follow, the $i$-th of them contains a single integer $W_{i}\left(1 \leq W_{i} \leq 100000\right)$. Another $N$ lines follow, the $i$-th of them contains $N$ space-separated integers, the $j$-th of them being $P_{i, j}\left(1 \leq P_{i, j} \leq 100000, P_{i, j}=P_{j, i}, P_{i, i}=0\right)$.

## Output

Output a single line with a single integer that is the minimum cost of providing all the pastures with water.

## Example

| 4 |  |  |  | vstup |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 4 |  |  |  |  |  |
| 4 |  |  |  |  |  |
| 4 |  |  |  |  |  |
| 3 |  |  |  |  |  |
| 0 | 2 | 2 | 2 |  |  |
| 2 | 0 | 3 | 3 |  |  |
| 2 | 3 | 0 | 4 |  |  |
| 2 | 3 | 4 | 0 |  |  |



Farmer John may build a well in the fourth pasture and connect each pasture to the first, which costs $3+$ $2+2+2=9$

